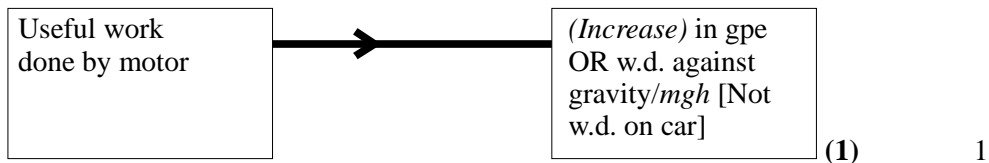


24. Completion of diagram:



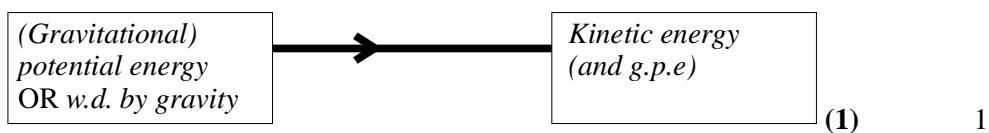
(i) Useful work done by motor:

Correct substitution in  $mgh$ , i.e.  $3400 \text{ (kg)} \times 9.81 \text{ (m s}^{-2}\text{)} \times 30 \text{ (m)}$  (1)  
 $= 1.00 \text{ MJ OR M Nm [1.02 MJ]}$  (1)

(ii) Power output of motor:

Power = above (J) / 15 (s) (1)  
 $= 67 \text{ kW [e.c.f.]}$  (1) 4

Overall energy conversion occurring as vehicle travels from B to C:



Speed of vehicle at point C:

$\Delta h = 18 / (30 - 12)$  (1)  
 Use of  $\frac{1}{2} mv^2 = \text{g.p.e. lost}$  (1)  
 [If get height wrong, can only get second mark]  
 $v = 19 \text{ m s}^{-1}$  [18.8 m s<sup>-1</sup>] 3

How speed at C would be expected to differ from previous answer:

Same speed/no effect [If this is wrong, no marks] (1)  
 GPE and KE both symbol 181 \f “ 12μ m OR  
 g same for all masses OR ms cancel (1) 2  
 [Not g is constant]

[11]

25. Gain in g.p.e. =  $(55.0 \text{ kg}) \times (9.81 \text{ N kg}^{-1}) \times (3.60) \text{ m}$   
 $= 1940 \text{ J}$

Power = gain in g.p.e./time  
 Power = 1080 W 4

Units correctly attached to a correct equation

e.g.  $\frac{\text{Power}}{\text{Weight}} = \frac{\text{Nms}^{-1}}{\text{N}}$   
 $= \text{ms}^{-1}$  2

Power to weight ratio =  $\frac{1080 \text{ W}}{(55.0\text{kg}) \times (9.81\text{ms}^{-2})}$   
 (allow e.c.f. for power)  
 Power to weight ratio = 2 [ms<sup>-1</sup>] 2

[8]

<b>26.</b>	<u>Calculation of g.p.e:</u>		
	Use of $m = \rho V$ (1)		
	Use of $E_p = mgh$ [ $m = 8.1 \times 10^x \text{ kg}$ ] (1)		
	64 J (1)		3
	<u>Explanation:</u>		
	(Some) water has moved up (1)		1
	<u>Why g.p.e. is less:</u>		
	Water has less mass (1)		
	Water has lower density/ moved up same distance/where the block was. (1)		
	OR		
	Some energy is dissipated/lost to surroundings/converted to other forms (1)		
	K.E./internal energy/heat/sound (1)		
	OR		
	Mechanism: via friction or drag/because the block or water accelerates/as block hits the bottom (2)		2
			[6]
<b>27.</b>	<u>Amount of work done by each of the forces</u>		
	(Each of the forces does)zero (1)		
	Forces perpendicular to motion [consequent] (1)		2
	[No marks if imply that work = 0 because forces cancel]		
	<u>Determination of force <math>F</math></u>		
	Use of gradient seen/implied (1)		
	$F = 2.7 - 2.9 \text{ N}$ (1)		2
	<u>Graph</u>		
	Straight line finishing at (1.8, 0) (+ or - 1 small square) (1)		
	Starting at (0, 5) (+ or - 1 small square) (1)		2
	<u>Calculation of speed</u>		
	Use of k.e. = $\frac{1}{2} m v^2$ / use of $F = ma$ and equation of motion (1)		
	$v = 3.5 \text{ ms}^{-1}$ (ecf) (1)		2
	<u>Sketch of graph</u>		
	Ascending line whose gradient decreases as $d$ increases (1)		1
	<u>Shape of graph</u>		
	Force greater at higher speed/gradient is the force/force decreases with distance (1)		1
			[10]
<b>28.</b>	<u>Gravitational potential energy</u>		
	Use of $mgh$		1
	Vertical drop per second = $(8.4 \text{ m}) \sin (3^\circ)$		1
	$3.9 \times 10^2 \text{ J/Js}^{-1}/\text{W}$		1
	<u>What happens to this lost gpe</u>		

Becomes internal energy/used to do work against friction and/or drag/heat/thermal energy. [mention of KE loses the mark] 1

Estimate of rate at which cyclist does work

Rate of working =  $2. \times 3.9 \times 10^2 \text{ W}$  1

=  $7.8 \times 10^2 \text{ W}$  1

[ $3.9 \times 10^2 \text{ W}$  earns 1 out of 2]

[6]

29. (a) Energy change

Both parts correct [NB 1 mark only] (1) 1

Gravitational potential (energy) to kinetic / movement (energy) / work done

(b) Principal of conservation of energy

EITHER (1) (1)

Energy can be neither created nor destroyed

OR

Energy cannot be created/destroyed / total energy is not (1) lost/gained

merely transformed from one form to another / in a closed/isolated system (1)

2

(c) Speed of water

Correct substitution into correct formula (1)

Correct value with correct unit (1)

2

Power = force  $\times$  velocity

$1.7 \times 10^9 \text{ (W)} = 3.5 \times 10^8 \text{ (N)} \times V$

$V = 4.86 \text{ m s}^{-1}$

(d) Explanation

Not all the energy of the falling water is transferred to the output power OR system is not 100% efficient OR water is not brought (1) to rest OR friction OR some of the energy is transferred to heat/sound/surroundings.

1

(e) Time

Correct value with correct unit. (1)

1

Time =  $\frac{7 \times 10^6 \text{ (m}^3\text{)}}{390 \text{ (m}^3\text{s}^{-1}\text{)}} = 17\,949 \text{ s} (= 299 \text{ min}) (= 5 \text{ h})$

(f) Work done

Correct substitution into correct formula to find mass of water (1)

Identifying

“work done = force  $\times$  distance moved in direction of force” (1)

Correct value with correct unit (1)

Mass of water = volume  $\times$  density

3

=  $7 \times 10^6 \text{ (m}^3\text{)} \times 10^3 \text{ (kg m}^{-3}\text{)} (= 6.9 \times 10^9 \text{ kg)}$

Work done = force  $\times$  distance

$$\begin{aligned} \text{Work done} &= 6.9 \times 10^9 \text{ (kg)} \times 9.81 \text{ (ms}^{-2}\text{)} \times 500 \text{ (m)} \\ &= 3.43 \times 10^{13} \text{ J} \end{aligned}$$

30. Expression for  $E_k$  and work done / base unit

- (a) (i) Kinetic energy =  $\frac{1}{2} mu^2$   
 Work done =  $Fd$   
 [must give expressions in terms of the symbols given in the question] (1) 1
- (ii) Base units for kinetic energy =  $(\text{kg (m s}^{-1}\text{)}^2) = \text{kg m}^2 \text{ s}^{-2}$  (1)  
 Base units for work done =  $\text{kgms}^{-2} \cdot \text{m} = \text{kg m}^2 \text{ s}^{-2}$  (1)  
 [derivation of  $\text{kg m}^2 \text{ s}^{-2}$  essential for 2<sup>nd</sup> mark to be given] 2  
 [Ignore persistence of  $\frac{1}{2}$ ] [ For 2<sup>nd</sup> mark ecf mgh for work from (a)(i)]

- (b) Show that the braking distance is almost 14 m

[Bald answer scores 0; Reverse calculation max 2/3]

**Either**

Equating work done and kinetic energy [words or equations] (1)

Correct substitution into kinetic energy equation **and** correct substitution (1)  
 into work done equation

Correct answer [13.8 (m)] to at least 3 sig fig. [No ue] (1)

$$0.5 \times m \times (13.4 \text{ m s}^{-1})^2 = m \times 6.5 \text{ m s}^{-2} \times d$$

$$\frac{0.5 \times m \times (13.4 \text{ ms}^{-1})^2}{m \times 6.5 \text{ ms}^{-2}} = 13.8 \text{ (m)} \quad 3$$

[ $m$  may be cancelled in equating formulae step and not seen subsequently]

**OR**

Selecting  $v^2 = u^2 + 2as$  OR 2 correct equations of motion (1)

Correct magnitudes of values substituted (1)

$$\text{[i.e. } 0 = (13.4 \text{ m s}^{-1})^2 + 2((-)6.5 \text{ m}^{-2}\text{s)}]$$

Correct calculation of answer [13.8 (m)] to at least 3 sig fig. [No ue] (1)

- (c) Why braking distance has more than doubled

QOWC (1)

**Either**

(Because speed is doubled and deceleration is unchanged) time (1)

(to be brought to rest) is doubled/increased.

(Since) distance = speed x time [mark consequent on first] or  $s = ut + \frac{1}{2} at^2$  (1)

the distance is increased by a factor of (about) 4 (1) 4

**Or**

Recognition that (speed)<sup>2</sup> is the key factor (1)

Reference to  $v^2 = u^2 + 2as$  or rearrangement thereof or kinetic energy (1)

[second mark consequent on first]

(Hence) distance is increased by a factor of (almost) 4 (1)

**Or**

Do calculation using  $v^2 = u^2 + 2as$  and use  $26.8 \text{ m s}^{-1}$  and  $6.5 \text{ m s}^{-2}$  (1)

Some working shown to get answer 55.2 m (1)

(Conclusion that) distance is increased by a factor of (almost) 4

[Note : unlikely that QOWC mark would be awarded with this method] (1)

**Or**

Accurate labelled  $v-t$  graphs for both (1)

Explanation involving comparison of areas (1)

Distance is increased by a factor of (almost) 4 (1)

[In all cases give 4<sup>th</sup> mark if 4 is not mentioned but candidate shows more than doubled eg “Speed is doubled and the time increased, therefore multiplying these gives more than double.”]

[10]

31. (i) Work done

Use of work done = force  $\times$  distance (1)

Answer given to at least 3 sig fig. [2396 J, 2393 J if  $9.8 \text{ m s}^{-2}$  is used, (1) 2

2442 J if  $g = 10 \text{ m s}^{-2}$  is used. No ue.]

$$\begin{aligned}\text{Work done} &= 110 \text{ kg} \times 9.81 \text{ m s}^{-2} \times 2.22 \text{ m} \\ &= 2395.6 \text{ J}\end{aligned}$$

(ii) Power exerted

Use of power =  $\frac{\text{work done}}{\text{time}}$  or power =  $F \times v$  (1)

Answer: [799 W. 800 W if 2400 J is used and 814 W if 2442 J is used. Ecf value from (i)] (1) 2

$$\begin{aligned}\text{Power} &= \frac{2396 \text{ J}}{3 \text{ s}} \\ &= 798.6 \text{ W}\end{aligned}$$

(iii) Principle of Conservation of Energy

Either

Energy can neither be created nor destroyed (1) (1)

**OR**

Energy cannot be created/destroyed or total energy is not lost/gained (1) (merely) transformed from one form to another or in a closed/isolated system. (1) 2

[Simple statement ‘Energy is conserved’ gets no marks]

[Information that is not contradictory ignore.  $\Delta Q = \Delta U + \Delta W$ , with terms defined acceptable for 1st mark]

(iv) How principle applied to...

Lifting the bar: -

Chemical energy (in the body of the weightlifter) or work done

(lifting bar) = (gain in) g.p.e. (of bar) (1)

[Reference to k.e. is acceptable]

The bar falling: -

Transfer from g.p.e. to k.e. (1)

(and that) g.p.e. lost = k.e. gained (1) 3

[‘g.p.e. converted to k.e.’ would get one mark]

[References to sound and thermal energy are OK, but gpe to sound or thermal energy on its own gets no marks]

(v) Speed of bar on reaching the floor

Setting  $\frac{1}{2}mv^2 = mgh$  or  $\frac{1}{2}mv^2 = \text{work done or } 2400 \text{ J}$  (1)

[ecf their value]

[Shown as formulae without substitution or as numbers substituted into formulae]

Correct values substituted (1)

[allow this mark if the 110 kg omitted – substitution gives  $v^2 =$  (1)

$43.55(6) \text{ m}^2 \text{ s}^{-2}$  or  $44.4 \text{ m}^2 \text{ s}^{-2}$  if  $g = 10 \text{ m s}^{-2}$  is used]

Answer:  $[6.6 \text{ m s}^{-1}. 6.7 \text{ m s}^{-1}$  if  $g = 10 \text{ m s}^{-2}$  is used.]

$\frac{1}{2} 110 \text{ kg} \times v^2 = 110 \text{ kg} \times 9.81 \text{ m s}^{-2} \times 2.22 \text{ m}$  or  $= 2400 \text{ J} / 2396 \text{ J}$

$v = 6.6 \text{ m s}^{-1}$  [ $6.66 \text{ m s}^{-1}$  if  $10 \text{ m s}^{-2}$  used] (1)

**OR**

Selects  $v^2 = u^2 + 2as$  or selects 2 relevant equations (1)

Correct substitution into equation (1)

Answer  $[6.6 \text{ m s}^{-1}]$  (1)

$v^2 = 0. + 2 \times 9.81 \text{ ms}^{-2} \times 2.22\text{m}$

$v = 6.6 \text{ m s}^{-1}$

3

[12]